

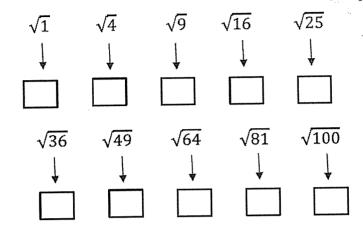
Numbers

With Classified answer book



7- Estimate The Square Roots

1. Write the value of each of the following square roots



2. Write the etsimate value of each of the following square roots

$$\sqrt{35}$$

Closest perfect squares Closest perfect 3. Final Answer Square Root above and below square √≈5 √5 *√*≈7 √≈10 $\sqrt{10}$ √≈**1**7 $\sqrt{17}$ √≈35 $\sqrt{35}$ √≈**7**9 $\sqrt{79}$

4. Find a $\sqrt{49}$

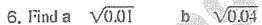
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- b √64
- **c** Use your answers to a and b to estimate $\sqrt{59}$ to 1 d.p



c Use your answers to a and b to estimate $\sqrt{21}$ to 1 d.p.



c Use your answers to a and b to estimate $\sqrt{0.03}$ to 2 d.p.

7. Write a number in the box to make the statement correct.

$$\sqrt{71} =$$
 .426...

8. Without using a calculator, show that

a
$$7 < \sqrt{55} < 8$$

9. Estimate the positive solutions in these equations to 1 dp

a
$$x^2 = 115$$

b
$$x^3 = 30$$

$$x^2 = 45$$

10. The square of x is 7

Circle the value of x3

$$343$$
 $\sqrt[3]{49}$ 117649 $7\sqrt{7}$

11. (a) Farhad wanted to estimate the square root of 27

He wrote this working:

 $\sqrt{36} = 6$ and $\sqrt{25} = 5$

36 is 11 more than 25

27 is 2 more than 25

So the square root must be $\frac{z}{11}$ more than 5 which is 5.2 to 1 d.p.

Is Farhad's method correct? Discuss your answer

(b) Hassan says



When you square a positive number the answer is always bigger than the original number.

For example 2.52 = 6.25 and

6.25 is bigger than 2.5

Find an example to show that Hassan is wrong. You must show your working.

- 12. Glynn says that $\sqrt{+16}$ 9 is the same as $\sqrt{16} + \sqrt{9}$. Show that Glynn is wrong.
- 13. Which is greater, 32 or $\sqrt{70}$? You must show your working.

- 14. Estimate $\sqrt{97}$ giving your answer to the nearest whole number.
- 15. James thinks that when you square a number you always get an odd number answer. Give an example to show that James is wrong.





64 is a **square** number



Sam says

64 is a **cube** number

Tom and Sam are both right. Explain why.